

Artificial Intelligence

Knowledge Representation

LESSON 16

prof. Antonino Staiano

M.Sc. In "Machine Learning e Big Data" - University Parthenope of Naples

Introduction

- An agent with a knowledge base can make inferences enabling it to act appropriately
- Now, the question is what content to put into an agent's knowledge base, that is, how to represent facts about the world
- We can use FOL as a representation language for discussing the content and organization of knowledge
 - Even though other representation formalisms exist

Outline

- Ontological Engineering
- Categories and Objects
- Events
- Mental Objects and Modal Logic
- Reasoning Systems for Categories

Ontologies

- An ontology formally represents knowledge that defines the concepts, relationships, and properties within a specific domain
- It provides a structured framework for organizing and sharing knowledge in a machine-readable format
- Ontologies play a crucial role in knowledge representation, semantic web technologies, and various fields of artificial intelligence

Ontological Engineering

- The representations can be created focusing on general concepts such as Events, Time, Physical objects, and belief
- Ontological Engineering
 - General and flexible representations for complex domains
- Upper ontology Anything • The general framework of concepts *AbstractObjects* **GeneralizedEvents** • Example Sets Numbers RepresentationalObjects Intervals Places PhysicalObjects Processes Ontology of the world Sentences Measurements *Categories* Moments Things Stuff Times Weights Animals Agents Solid Liquid Gas Humans
 - Each link indicates that the lower concept is a specialization of the upper one

Categories and Objects

- The organization of objects into categories is a vital part of knowledge representation
 - Indeed, much reasoning takes place at a level of categories
- Categories for FOL can be represented by predicates and objects
 - SoccerBall(s) is a predicate whereas a category can be reified as an object Balls
 - Member(s, Balls) that is s is a member of the category Balls (s \in Balls)
- We can use Subset(SoccerBalls, Balls), that is, SoccerBalls ⊂ Balls, to say that SoccerBalls is a subcategory of Balls
- Categories organize knowledge through inheritance
 - If all instances of Food are edible, Fruit ⊂ Food and Apple ⊂ Fruit we infer that Apple is edible
- Subclass relations organize categories into a taxonomic hierarchy or taxonomy

Categories and Objects

• Physical composition: the idea that an object can be part of another is a familiar one

- We use the general PartOf relation to say that one thing is part of another
 - Eg: Bucharest is part of Romania, PartOf(Bucharest, Romania)
- Objects can be grouped into PartOf hierarchies
 - PartOf(Bucharest,Romania)
 - PartOf(Romania,EasternEurope)
 - PartOf(EasternEurope,Europe)
 - PartOf(Europe,Earth)
- The PartOf relation is transitive and reflexive, that is,
 - $PartOf(x,y) \land PartOf(y, z) \Rightarrow PartOf(x, z)$
 - PartOf(x,x)
- Measurements: values that we assign for properties of objects
 - Eg: Length(L1)=Inches(1.5)=Centimeters(3.81)

Categories and Objects

• Stuff

- a significant portion of reality that seems to defy any obvious individuation—division into distinct objects
 - If we have some butter there is no obvious number of "butter-objects," because any part of a butter-object is also a butter-object

• Intrinsic

- some properties are intrinsic: they belong to the very substance of the object, rather than to the object as a whole
 - When you cut an instance of stuff in half, the two pieces retain the intrinsic properties—things like density, boiling point, flavor, color, ownership ...

• Extrinsic

- Properties like weight, length, and shape not retained under subdivision
- Substance
 - a category of objects that includes in its definition only intrinsic properties (mass noun)
- Count noun: class that includes any extrinsic properties

Events

- Things that happen
 - Event, fluent (an aspect of the world that change), time points
- Event calculus
 - Approach to describe what's happening during an event or action and two actions happening at the same time
 - The objects of event calculus are events, fluents, and time points
 - Fluents: At(Shankar, Berkeley), that is, the fact that Shankar is in Berkeley
 - Events: Event E1 of Shankar flying from San Francisco to DC
 - E1 \in Flyings \land Flyer (E1, Shankar) \land Origin(E1, SF) \land Destination(E1, DC)
 - Flyings is the category of all flying events
- To assert that a fluent is actually true starting at some point in time t_1 and continuing to time t_2
 - predicate T, as in T(At(Shankar,Berkeley),t₁,t₂)
- to say that the event E_1 actually happened, starting at time t_1 and ending at time t_2
 - Similarly, we use Happens(E₁,t₁,t₂)

Events

• Time points and time intervals

Meet(i, j)	i j	Starts(i, j)	i
Before(i, j) After(j,i)	i j		j
During(i, j)	i j	Finishes(i, j)	j
Overlap(i, j)	i j	Equals(i, j)	i j
Figure 10.2 Predicates on time intervals.			

- To say that the reign of Elizabeth II immediately followed that of George VI, and the reign of Elvis overlapped with the 1950s, we can write the following:
 - Meets(ReignOf(GeorgeVI),ReignOf(ElizabethII))
 - Overlap(Fifties,ReignOf(Elvis))
 - Begin(Fifties)=Begin(AD1950)
 - End(Fifties)=End(AD1959)

PARTHENOPE

Mental Objects

- Mental objects refer to abstract entities that exist within the realm of human cognition and mental representation
 - They are subjective constructs that represent various aspects of knowledge, beliefs, concepts, and ideas that individuals hold in their minds
 - Mental objects are knowledge in someone's head (or KB)
- Propositional attitudes refer to mental states or attitudes that individuals have toward propositions or statements
 - These attitudes represent an individual's beliefs, desires, intentions, opinions, and other mental states regarding the truth or falsehood of propositions
 - For instance, attitudes such as Believes, Knows, Wants, and Informs
- Example: Lois knows that Superman can fly:

Knows(Lois, CanFly(Superman))

Modal Logic

- Sentences can sometimes be verbose and clumsy. Regular logic is concerned with a single modality, the modality of truth
- Modal logic addresses this, with special modal operators that take sentences (rather than terms) as arguments
 - Modal logic allows for reasoning about statements and propositions that are qualified by modalities, which reflect different modes of truth and possibility. It provides a framework to analyze and reason about concepts like necessity, possibility, impossibility, certainty, belief, and knowledge.
- "A knows P" is represented with the notation $K_{\!A}P\!,$ where K is the modal operator for knowledge
 - It takes two arguments, an agent (written as the subscript) and a sentence
- The syntax of modal logic is the same as first-order logic, except that sentences can also be formed with modal operators

Mental Objects and Modal Logic

 Agents are able to draw conclusions. If an agent knows P and knows that P implies Q, then the agent knows Q:

 $(\mathsf{K}_{\mathsf{A}}\mathsf{P}\wedge\mathsf{K}_{\mathsf{A}}(\mathsf{P}\Rightarrow\mathsf{Q}))\Rightarrow\mathsf{K}_{\mathsf{A}}\mathsf{Q}$

 Logical agents are able to introspect on their own knowledge. If they know something, then they know that they know it:

 $\mathsf{K}_{\mathsf{A}}\mathsf{P} \Rightarrow \mathsf{K}_{\mathsf{A}} \left(\mathsf{K}_{\mathsf{A}}\mathsf{P}\right)$

- Categories are the primary building blocks of large-scale knowledge representation schemes
- There are two closely related families of systems designed for organizing and reasoning with categories
 - semantic networks
 - provide graphical aids for visualizing a knowledge base and efficient algorithms for inferring properties of an object on the basis of its category membership
 - description logics
 - provide a formal language for constructing and combining category definitions and efficient algorithms for deciding subset and superset relationships between categories

Semantic networks

- Represent individual objects, categories of objects, and relations among objects
- A typical graphical notation displays object or category names in ovals or boxes, and connects them with labeled links
- convenient to perform inheritance reasoning
- Eg: Mary inherits the property of having two legs
 - to find out how many legs Mary has, the inheritance algorithm follows the MemberOf link from Mary to the category she belongs to
 - and then follows SubsetOf links up the hierarchy until it finds a category for which there is a boxed Legs link

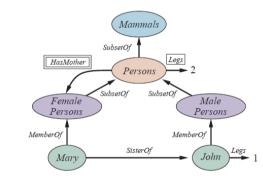


Figure 10.4 A semantic network with four objects (John, Mary, 1, and 2) and four categories. Relations are denoted by labeled links.

- Description logics
 - notations that are designed to make it easier to describe definitions and properties of categories
 - evolved from semantic networks in response to pressure to formalize what the networks mean while retaining the emphasis on taxonomic structure as an organizing principle
 - Principal inference tasks:
 - Subsumption: checking if one category is a subset of another by comparing their definitions
 - Classification: checking whether an object belongs to a category
- The CLASSIC language (Borgida et al., 1989) is a typical description logic
 - Eg: bachelors are unmarried adult males
 - Bachelor = And(Unmarried, Adult, Male)
 - The equivalent in first-order logic would be: $Bachelor(x) \Leftrightarrow Unmarried(x) \land Adult(x) \land Male(x)$

- The description logic has an algebra of operations on predicates, which we can't do in first-order logic
- Any description in CLASSIC can be translated into an equivalent first-order sentence, but some descriptions are more straightforward in CLASSIC
- Example
 - to describe the set of men with at least three sons who are all unemployed and married to doctors, and at most two daughters who are all professors in physics or math departments, we would use
 - And(Man,AtLeast(3,Son),AtMost(2,Daughter), All(Son,And(Unemployed,Married, All(Spouse,Doctor))), All(Daughter,And(Professor,Fills(Department,Physics,Math))))