



SIS Scuola Interdipartimentale
delle Scienze, dell'Ingegneria
e della Salute



L. Magistrale in IA (ML&BD)

Scientific Computing
(part 2 – 6 credits)

prof. **Mariarosaria Rizzardi**

Centro Direzionale di Napoli – Bldg. C4

room: n. 423 – North Side, 4th floor

phone: 081 547 6545

email: mariarosaria.rizzardi@uniparthenope.it



Contents

- **Short Time Fourier Transform (STFT).**
- **Some applications to sounds of Fourier Transform.**

STFT in MATLAB

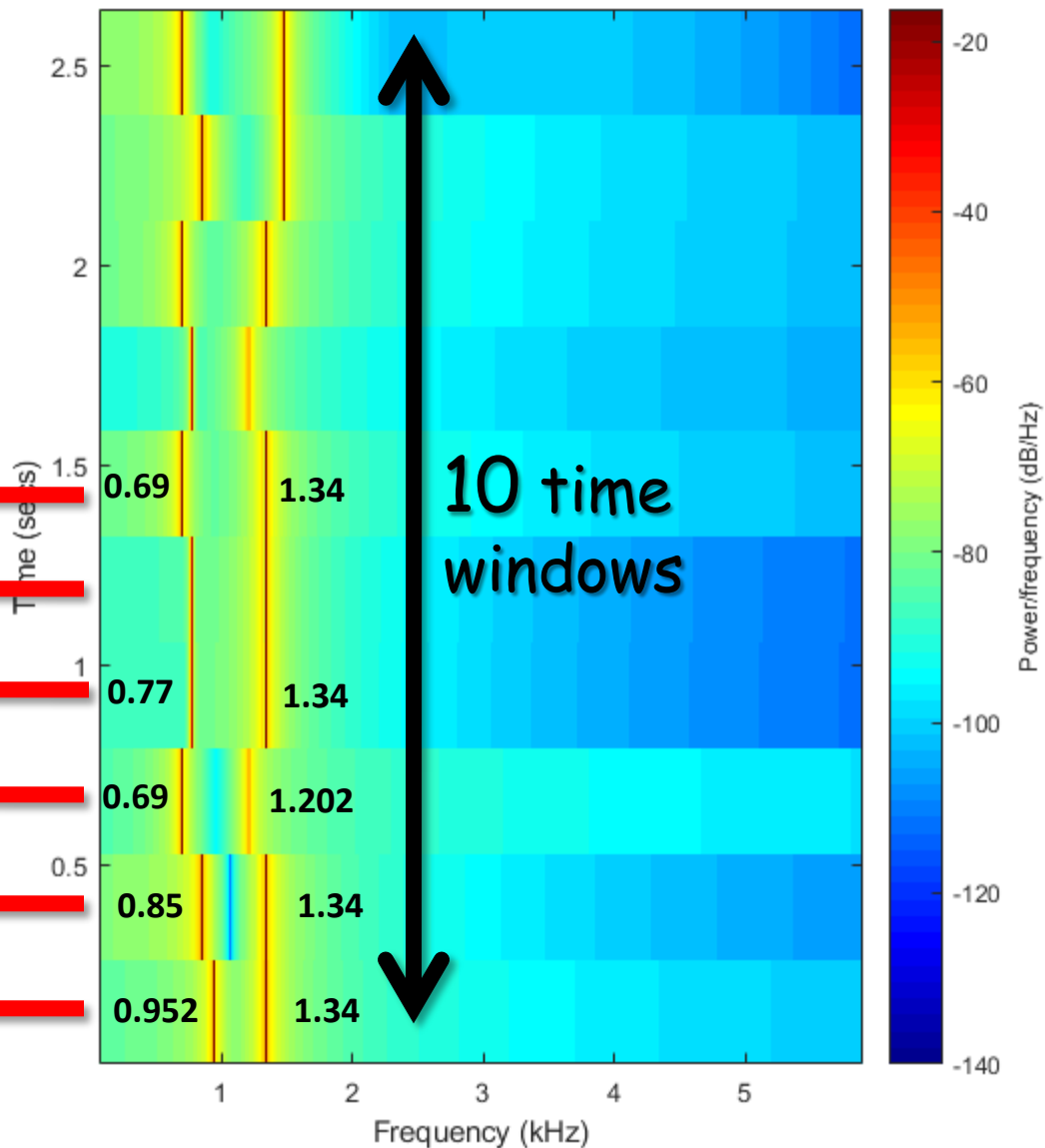
```
[y,fs]=audioread('PhoneNumber.wav');  
M=fix(numel(y)/10);  
spectrogram(y,M,0,[],fs); colormap('jet')
```

in Signal Processing Toolbox

Hz 1209 1336 1477

697	1	2	3
770	4	5	6
852	7	8	9
941	*	0	#

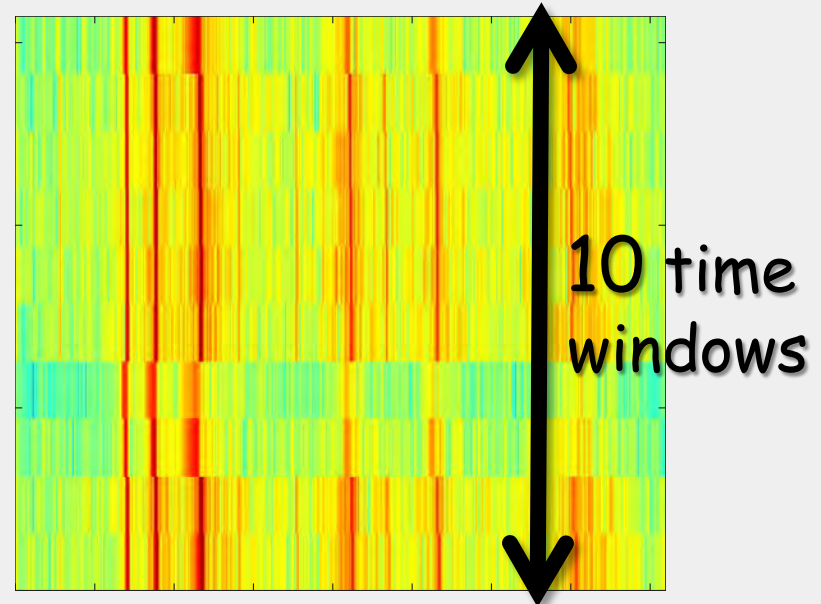
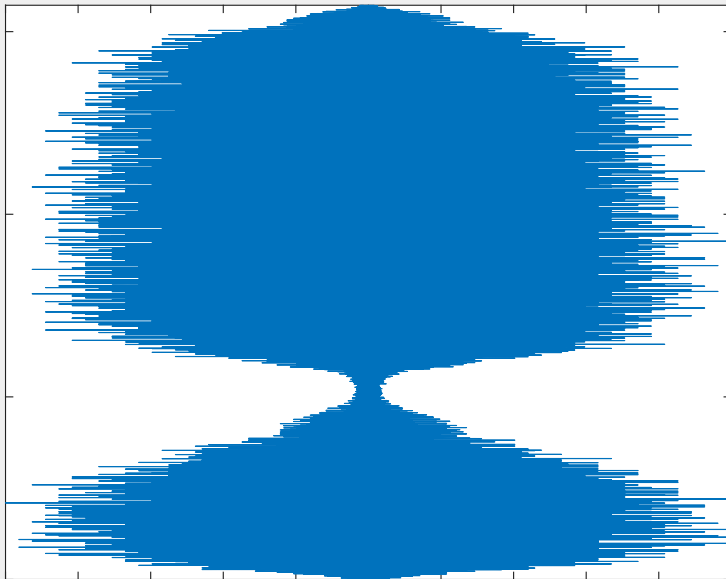
2 ←
5 ←
5 ←
1 ←
8 ←
0 ←



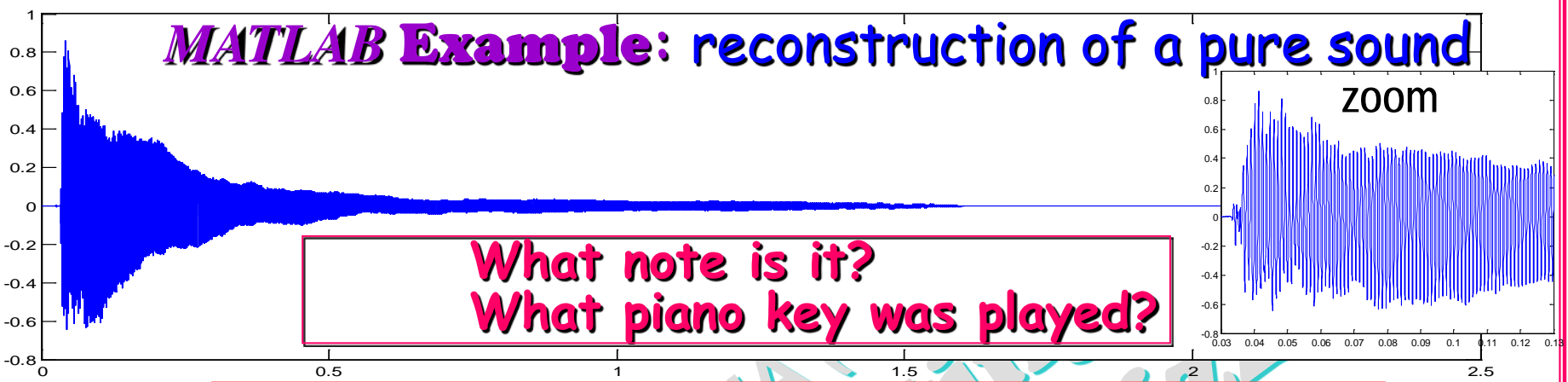
STFT in MATLAB

```
load train; sound(y,Fs) % [y: samples, Fs: sample rate]
Dt=1/Fs % Period = 1/circ.frequency
Duration=Dt*numel(y); tj=linspace(0,Duration,numel(y))';
plot(y,tj); axis tight; ylabel('time (sec)')
M=fix(numel(y)/10); spectrogram(y,M,0,[ ],Fs); colormap('jet')
```

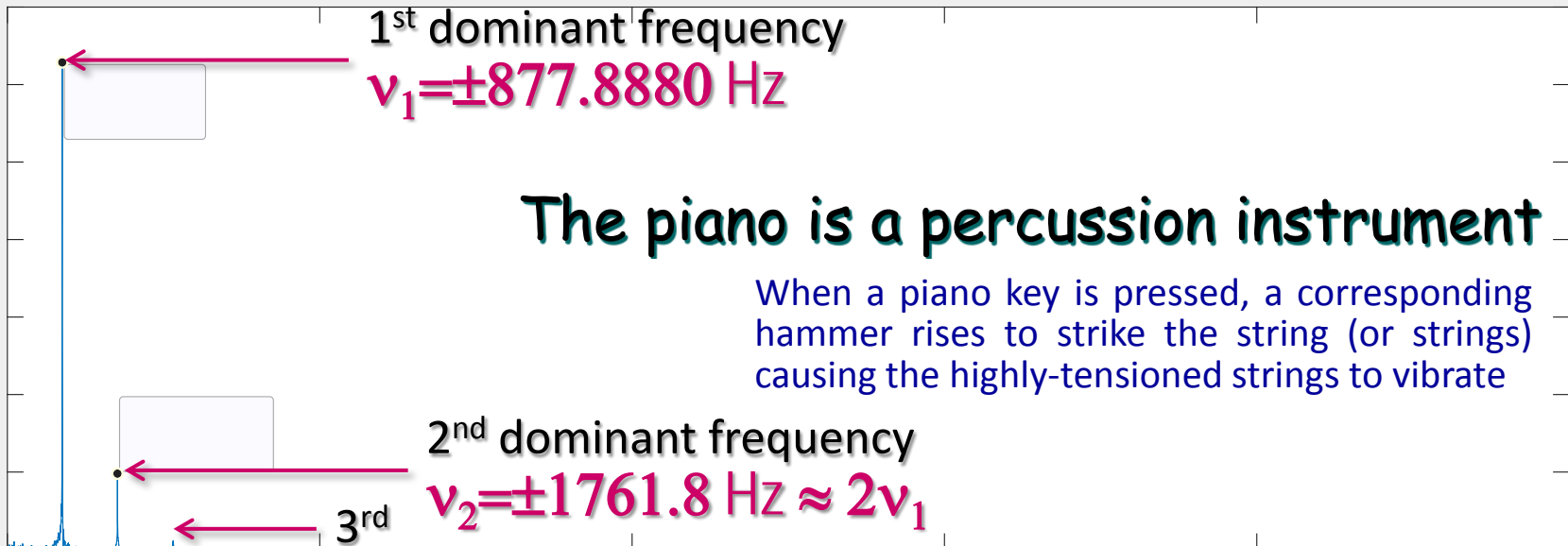
Compare with frequency table in the file: [Musical_Note_Frequencies.pdf](#)



MATLAB Example: reconstruction of a pure sound



```
[y,fs]=audioread('PIANO.wav'); sound(y,fs)
N=numel(y); Dt=1/fs; tj=Dt*(1:N)'; T=N*Dt; Dnu=1/T;
figure(1); plot(tj,y); xlabel('Time (sec)')
Y=fftshift(fft(y)); Y=[Y;Y(1)]*T/N; nu=(-N/2:N/2)'/T;
figure(2); plot(1e-3*nu,abs(Y)) % KHz
xlabel('frequency (KHz)'); title('Fourier Spectrum')
```



frequencies and musical notes

DO5	C5	523 Hz
DO#5	C#5	554 Hz
RE5	D5	587 Hz
RE#5	D#5	622 Hz
MI5	E5	659 Hz
FA5	F5	698 Hz
FA#5	F#5	740 Hz
SOL5	G5	784 Hz
SOL#5	G#5	831 Hz
LA5	A5	880 Hz
LA#5	A#5	932 Hz
SI5	B5	988 Hz
DO6	C6	1046 Hz
DO#6	C#6	1109 Hz
RE6	D6	1175 Hz
RE#6	D#6	1245 Hz
MI6	E6	1319 Hz
FA6	F6	1397 Hz
FA#6	F#6	1480 Hz
SOL6	G6	1568 Hz
SOL#6	G#6	1661 Hz
LA6	A6	1760 Hz
LA#6	A#6	1865 Hz
SI6	B6	1976 Hz

(p.2)
Rizzardi

$$v=877.8880 \text{ Hz}$$

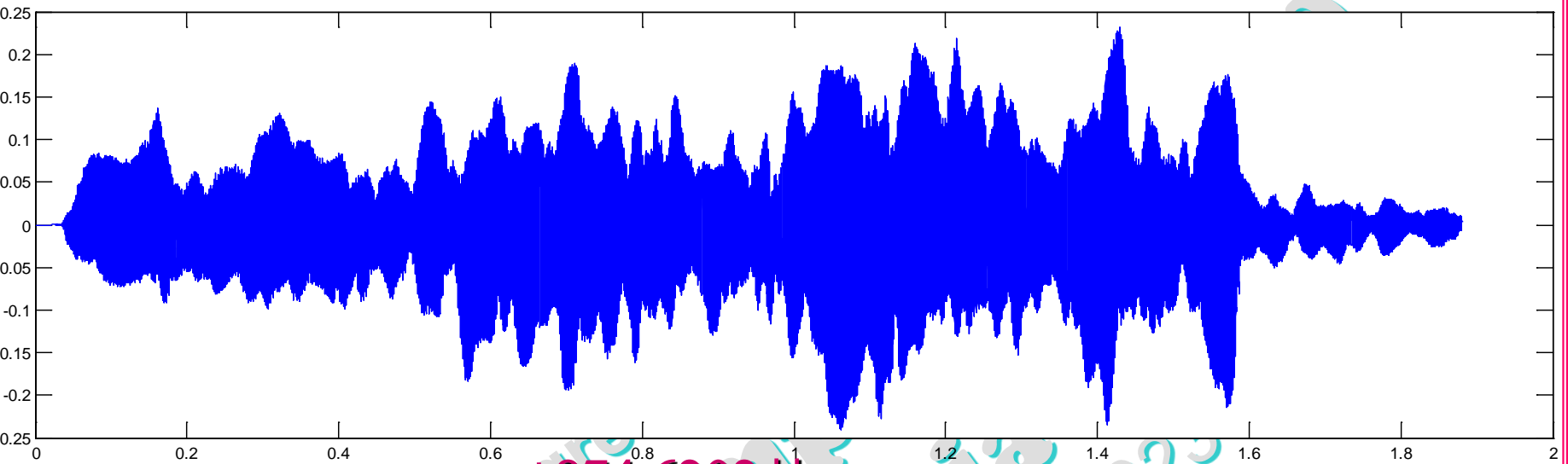
$$\approx 880 \text{ Hz}$$

1 octave

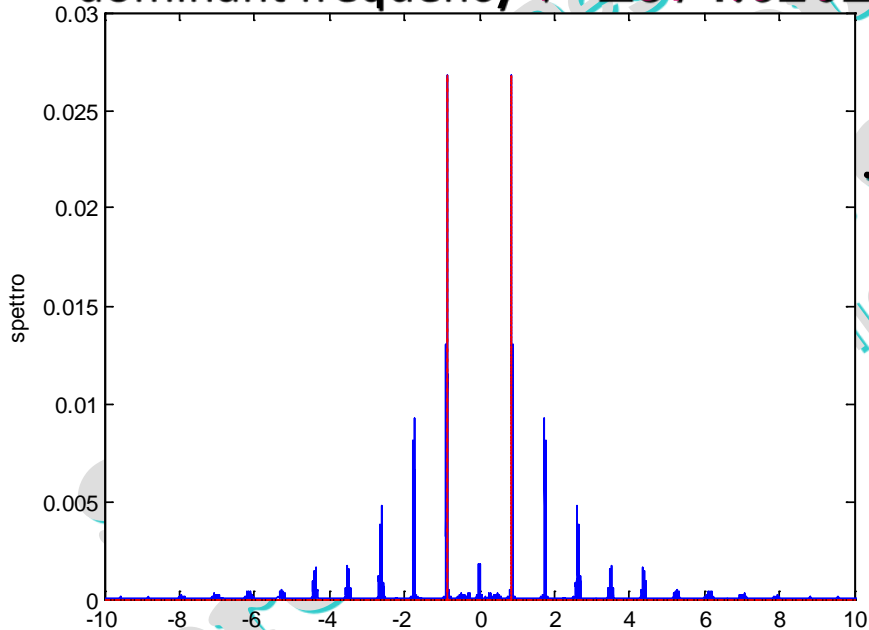
$$\approx 1760 = 2 \times 880$$

$$v=1761 \text{ Hz}$$

If we repeat the experiment with a violin ... (file "VIOLIN.wav")



dominant frequency $\nu = \pm 874.6202$ Hz

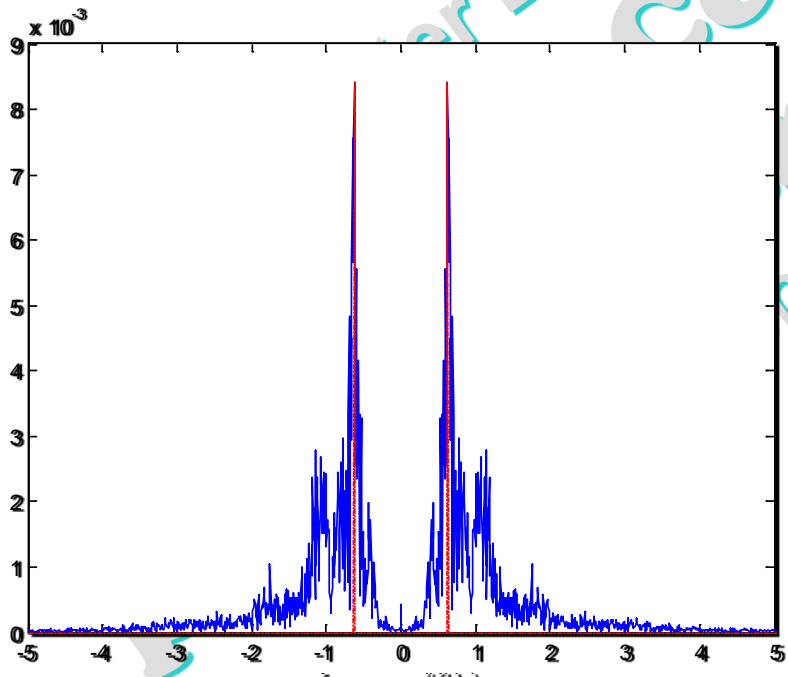
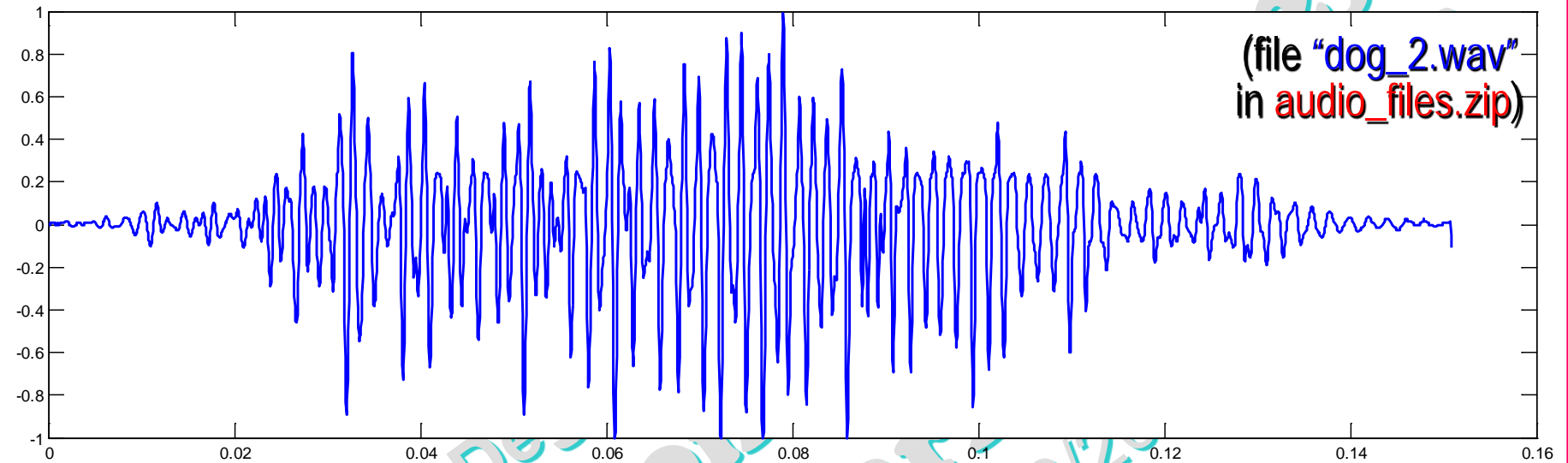


The violin is a string instrument

a given note on a violin will have several frequencies vibrating at once, since the violin bow touches the chords

If we repeat the experiment with a non-periodic sound (noise)

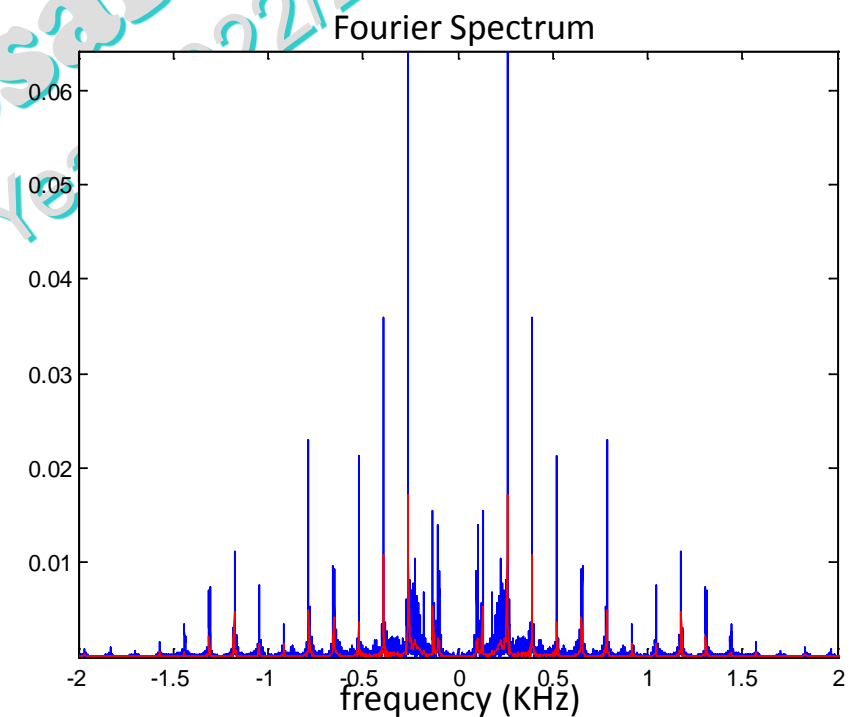
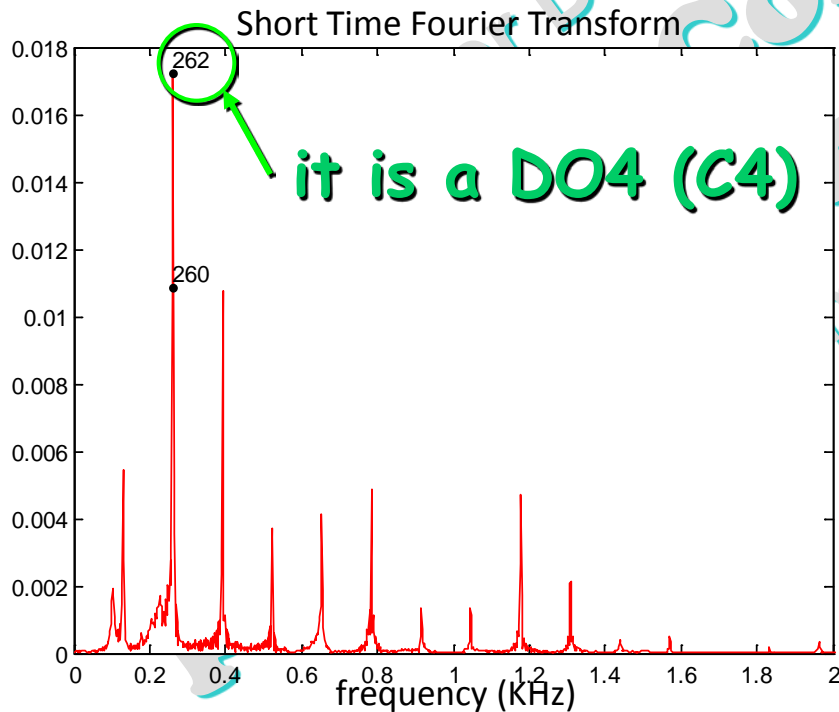
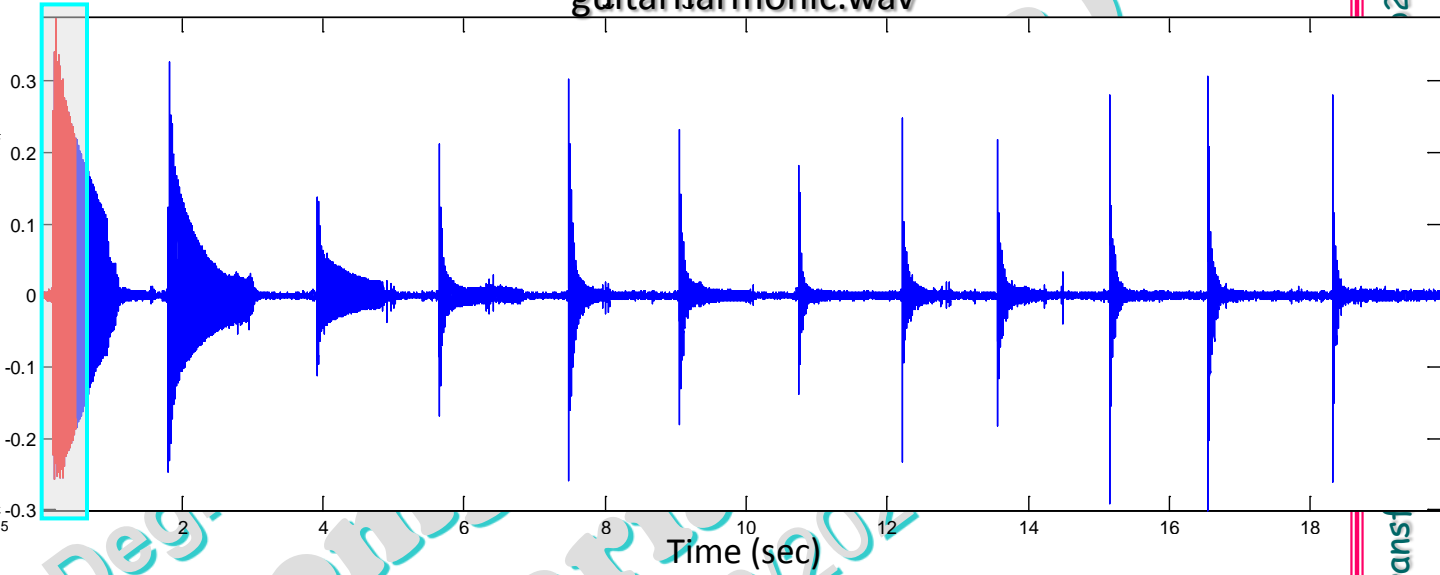
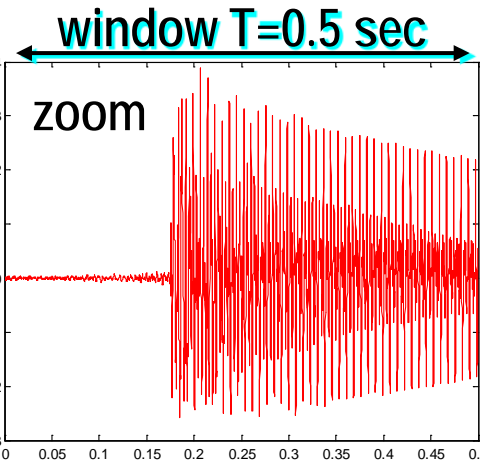
(file "dog_2.wav" in audio_files.zip)

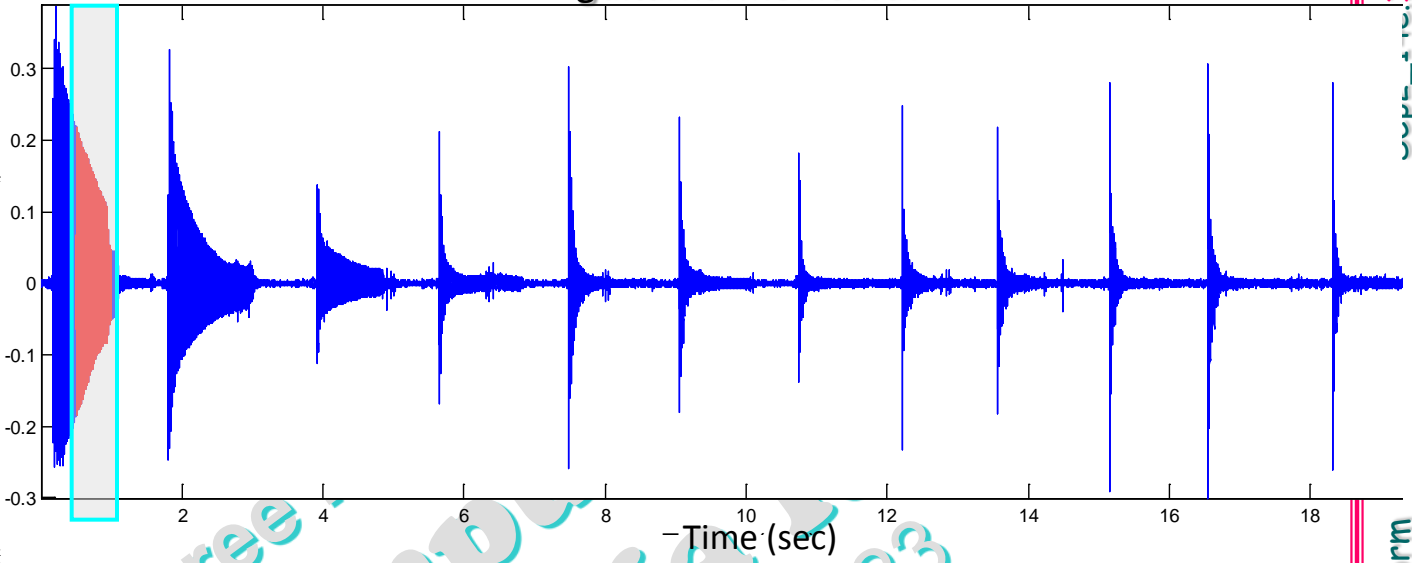
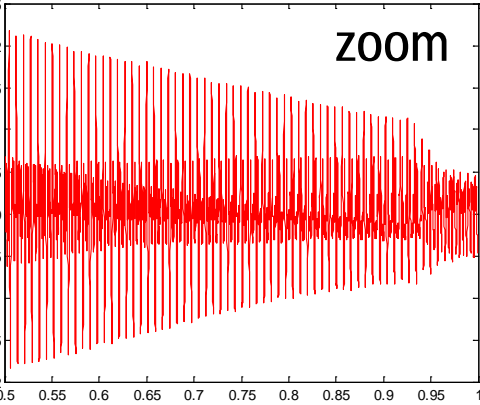


infinitely many frequencies
for a non-periodic sound

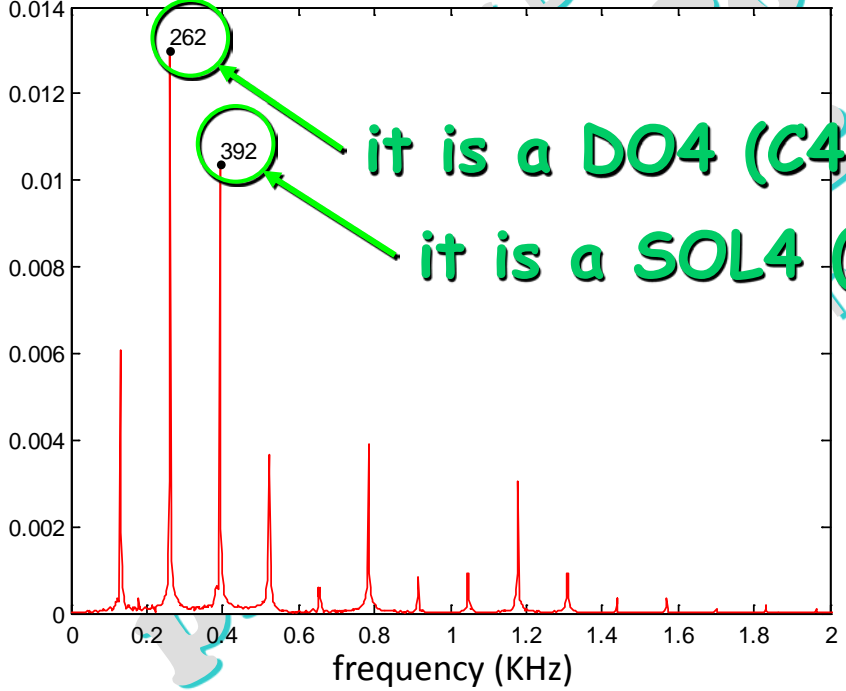
by means of Short Time Fourier Transform ...

guitarharmonic.wav





Short Time Fourier Transform



it is a DO4 (C4)

it is a SOL4 (G4)

Fourier Spectrum

