



Course of “Industrial Automation”
2023/24

Research activities – Thesis work

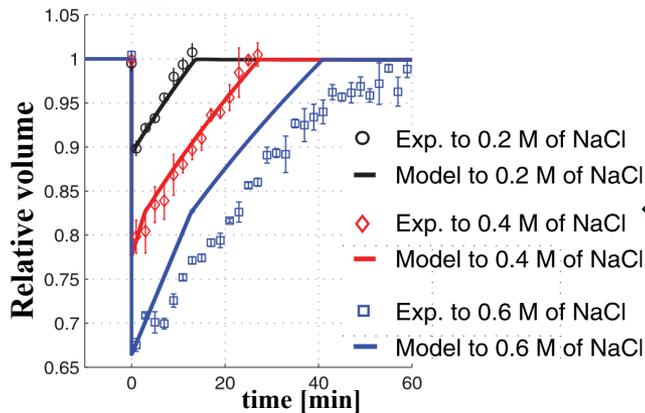
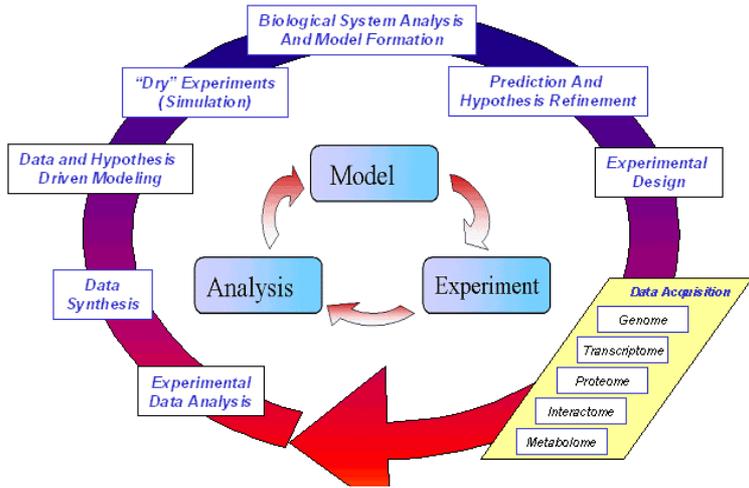
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Team code: **vgxlryz**



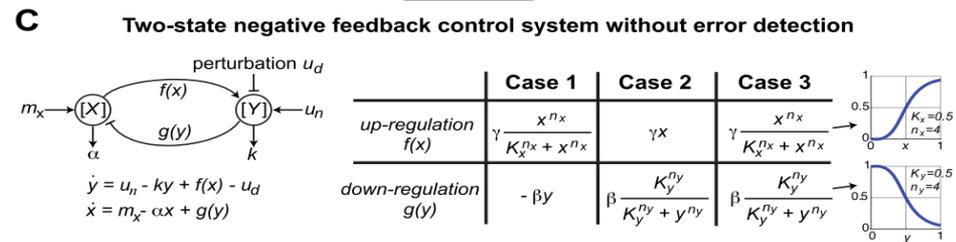
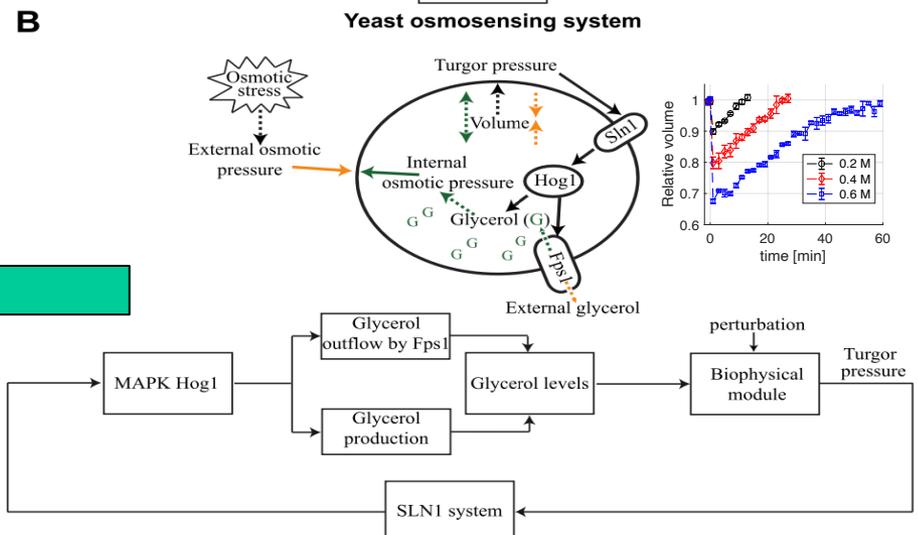
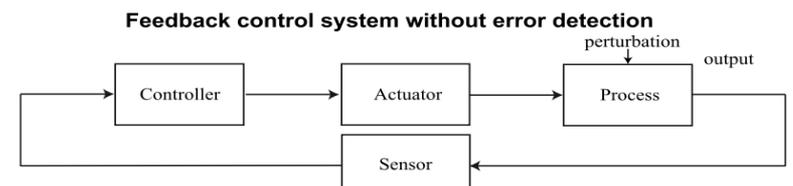
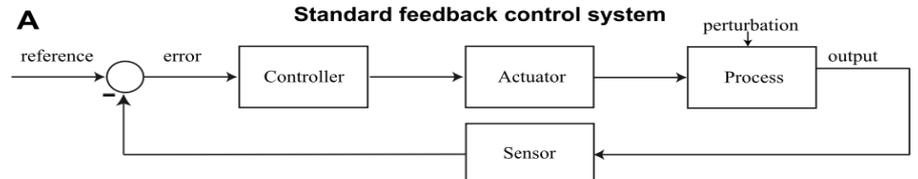
Nonlinear Dyn
<https://doi.org/10.1007/s11071-023-09260-6>

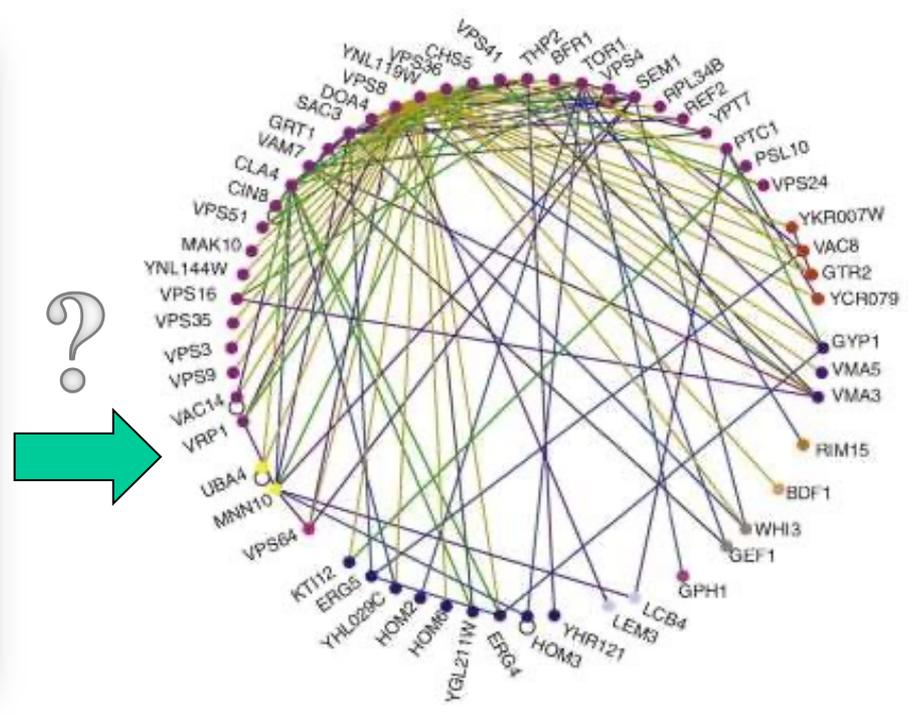
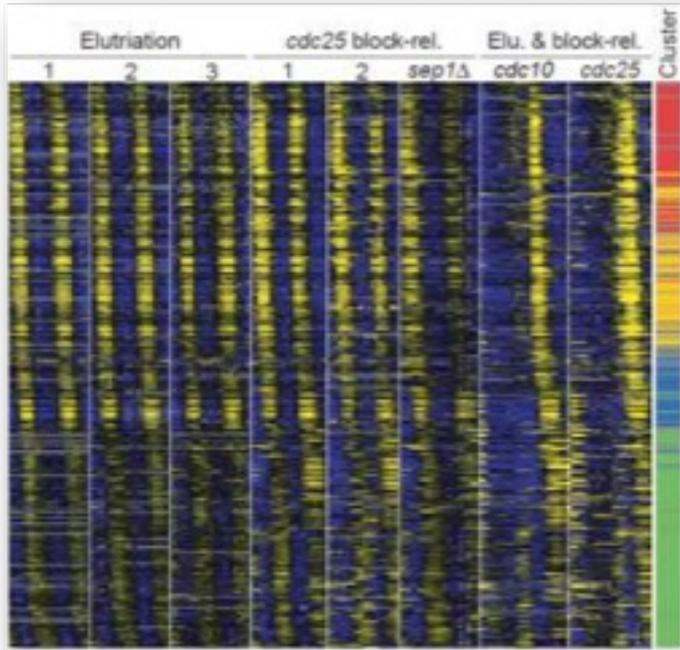
ORIGINAL PAPER

Role of ultrasensitivity in biomolecular circuitry for achieving homeostasis

Francesco Montefusco · Anna Procopio ·
 Iulia M. Bulai · Francesco Amato ·
 Carlo Cosentino

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SPECIAL ISSUE ARTICLE

WILEY

Scalable reverse-engineering of gene regulatory networks from time-course measurements

Francesco Montefusco¹ | Anna Procopio² | Declan G. Bates³ |
 Francesco Amato⁴ | Carlo Cosentino²

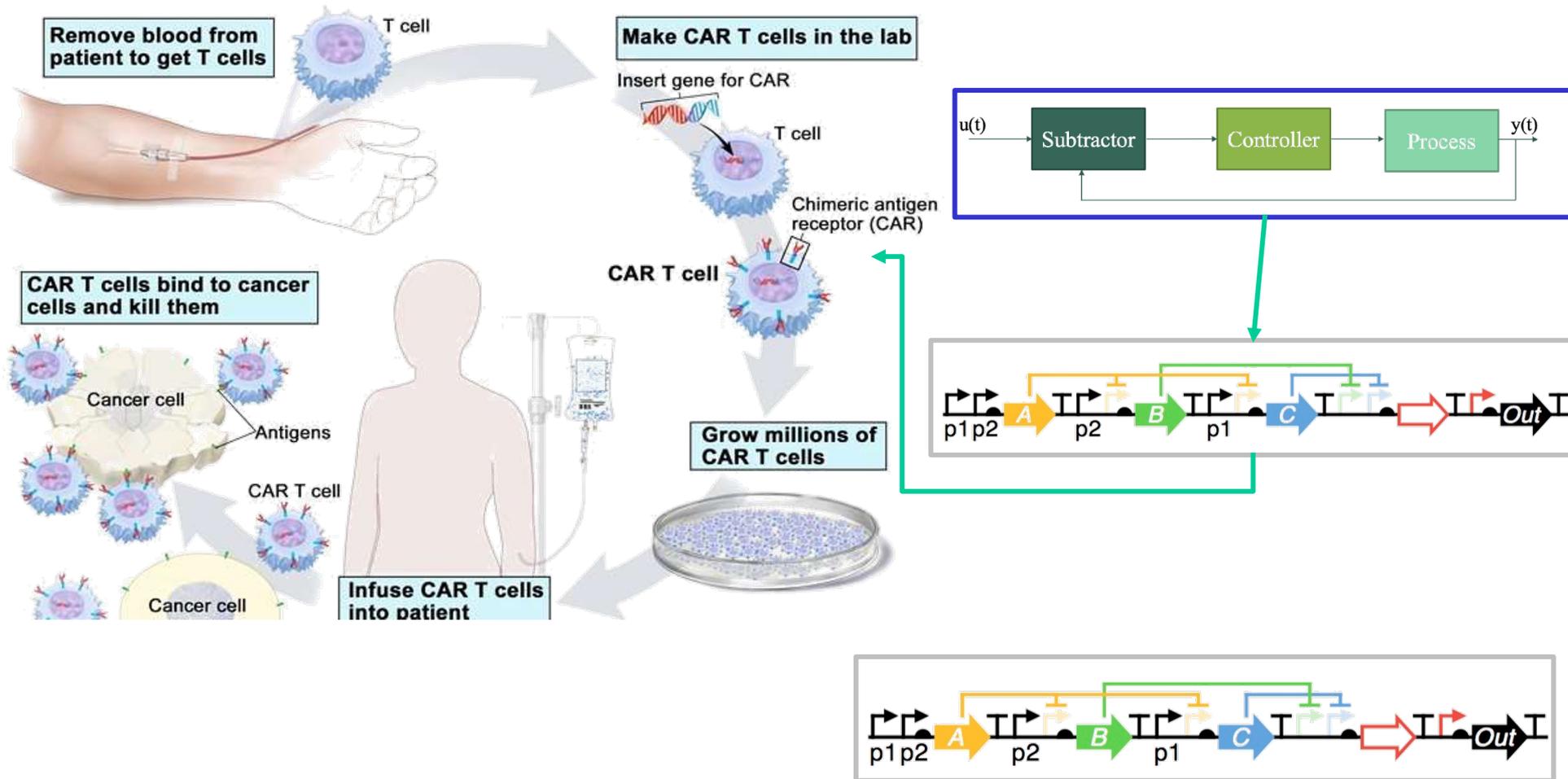
$$\dot{x}(t) = Ax(t) + Bu(t),$$

$$\Xi := \begin{pmatrix} x(h) & \dots & x(1) \end{pmatrix} = \Theta \Omega,$$

where $\Theta = \begin{bmatrix} \hat{A} & \hat{B} \end{bmatrix}$,

$$\Omega := \begin{pmatrix} x(h-1) & \dots & x(0) \\ u(h-1) & \dots & u(0) \end{pmatrix}.$$

Design of Complex Circuits and clinical application



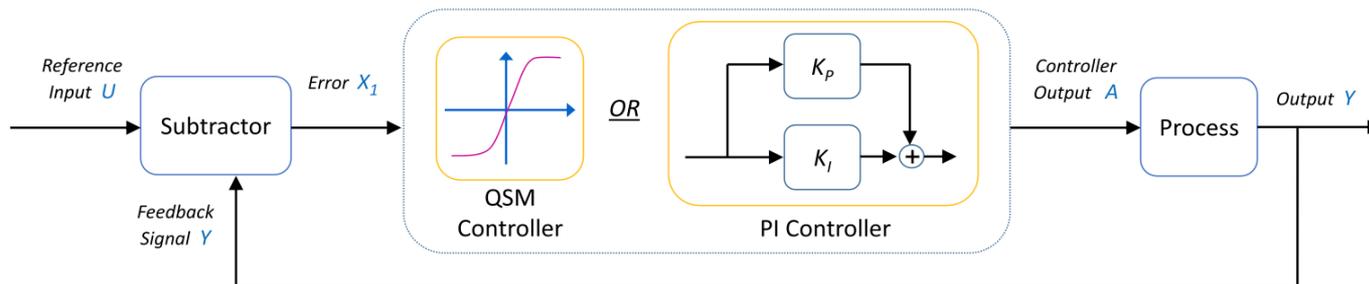


Fig. 1. A prototype embedded biomolecular closed loop feedback control system

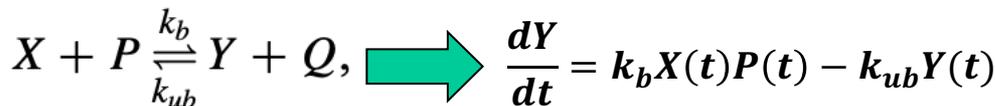


Fig. 2. Examples of DNA strand displacement reactions illustrated using the software package Visual DSD [25]: the DNA strands are bonded by Watson-Crick base pairing, denoted by * and the basic steps involved are (a) binding of toehold 1 to 1*, (b) branch migration wherein the strand 1-2 partially displaces strand 2-3, and (c) complete separation of strand 2-3 [26].

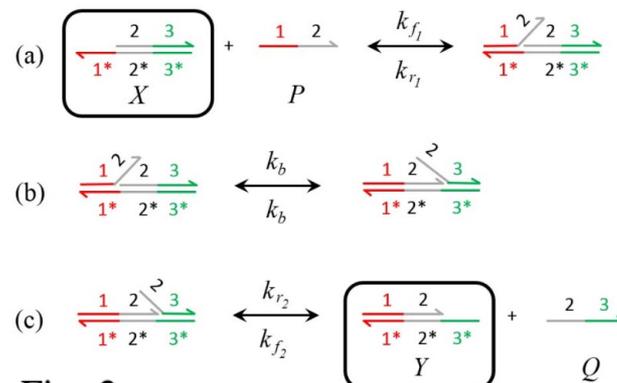
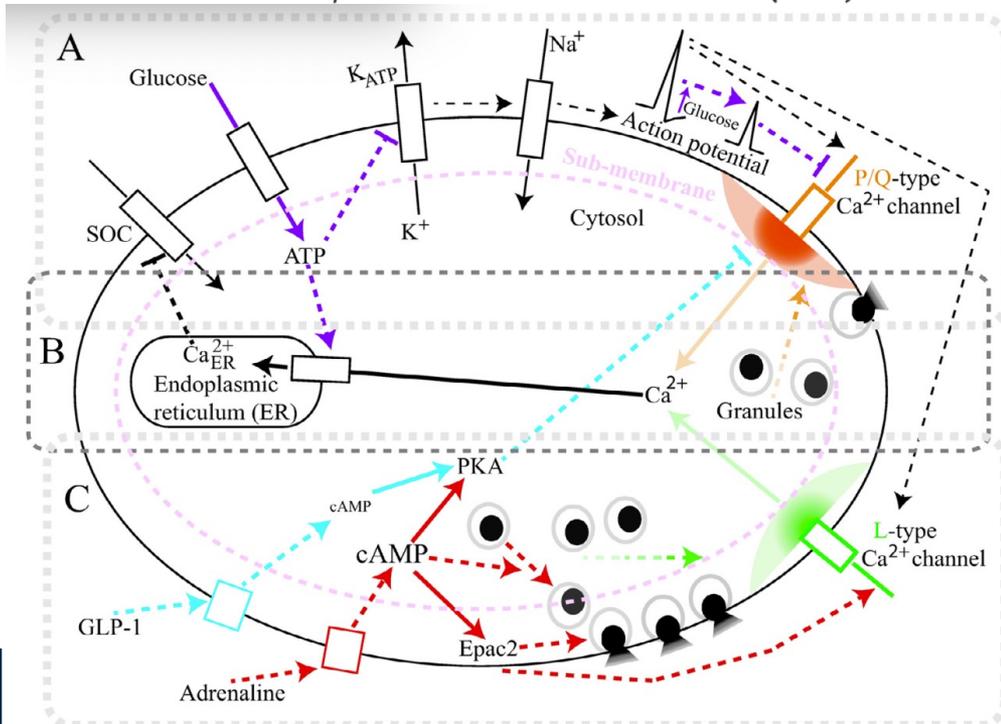


Fig. 2.

Implementing Nonlinear Feedback Controllers Using DNA Strand Displacement Reactions

Rucha Sawlekar, Francesco Montefusco, Vishwesh V. Kulkarni, and Declan G. Bates*

M.G. Pedersen et al. / *Mathematical Biosciences* 283 (2017) 60–70

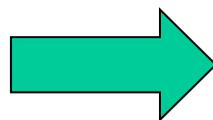


$$\frac{dV}{dt} = -(I_{CaL} + I_{CaP/Q} + I_{CaT} + I_{Na} + I_K + I_{KATP} + I_{KA} + I_L + I_{SOC}) / C_m,$$

J Physiol 593.20 (2015) pp 4519–4530

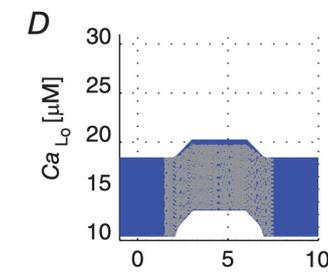
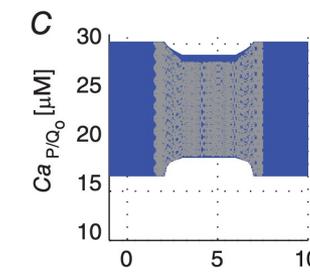
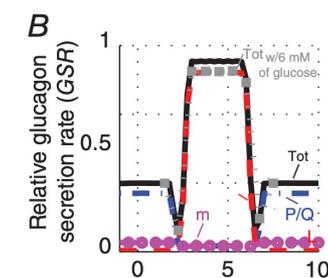
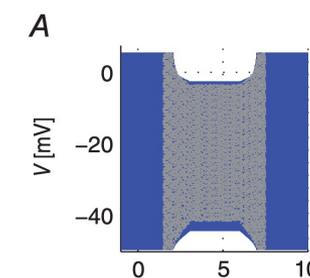
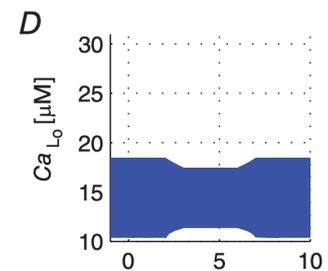
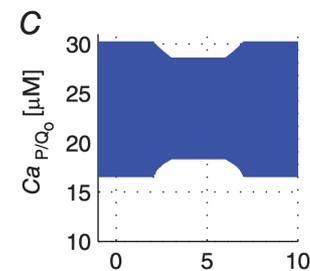
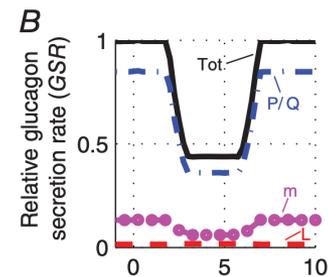
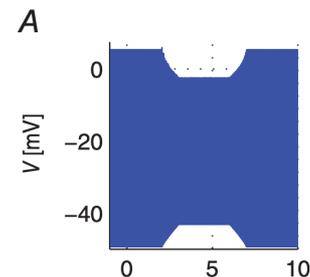
Mathematical modelling of local calcium and regulated exocytosis during inhibition and stimulation of glucagon secretion from pancreatic alpha-cells

Francesco Montefusco and Morten Gram Pedersen



Control glucose of glucagon secretion

Effects of adrenaline on glucagon secretion



Time (min)

Time (min)

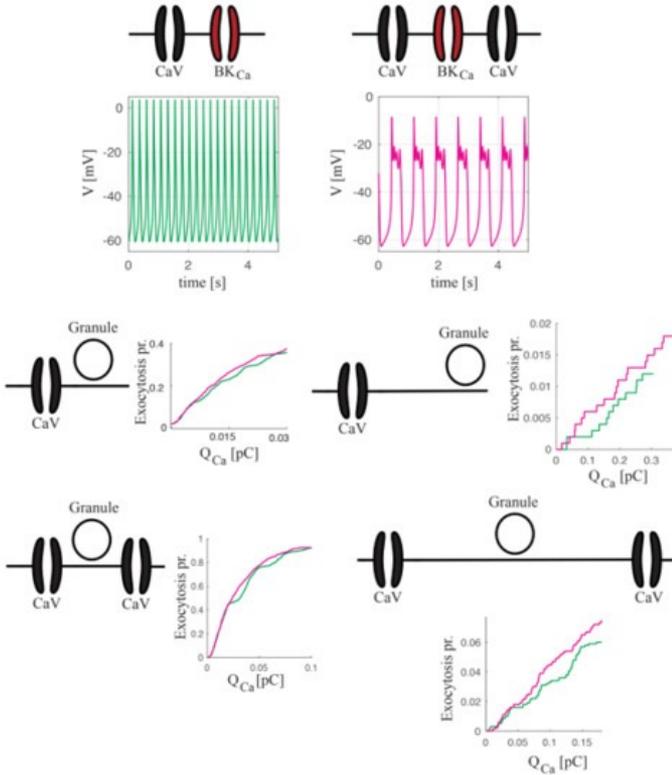
Article

From Local to Global Modeling for Characterizing Calcium Dynamics and Their Effects on Electrical Activity and Exocytosis in Excitable Cells

Francesco Montefusco ^{1,*} and Morten G. Pedersen ^{1,2,3}



International Journal of
Molecular Sciences

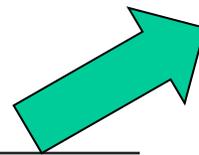


Nonlinear Dyn (2024) 112:1415–1430
<https://doi.org/10.1007/s11071-023-09091-5>

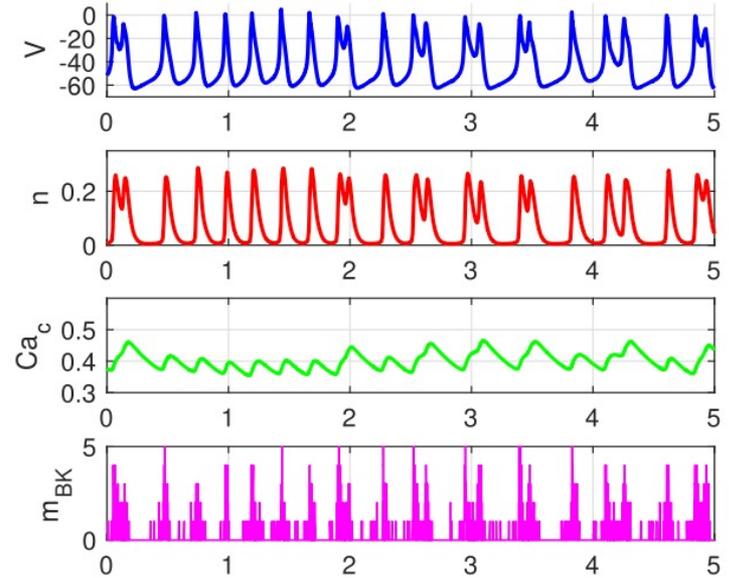
ORIGINAL PAPER

Geometric slow-fast analysis of a hybrid pituitary cell model with stochastic ion channel dynamics

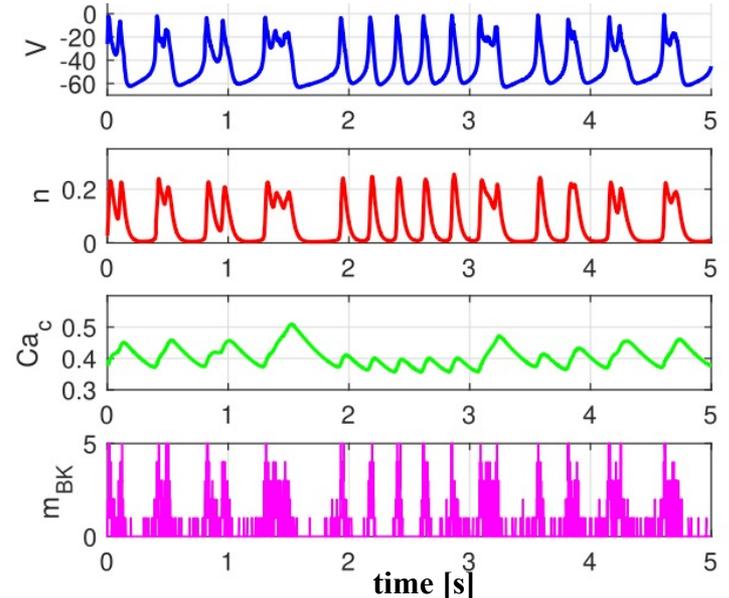
Francesco Montefusco · Morten Gram Pedersen

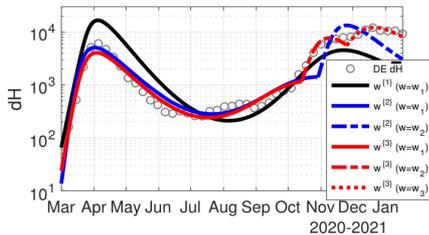


BK – CaV with 1:1 stoichiometry

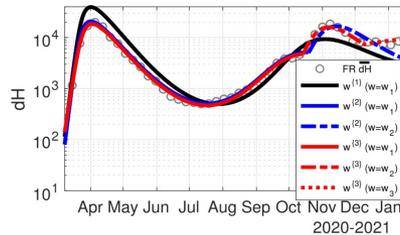


BK – CaV with 1:2 stoichiometry

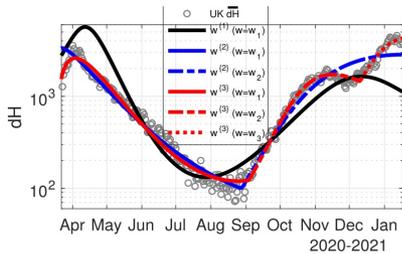




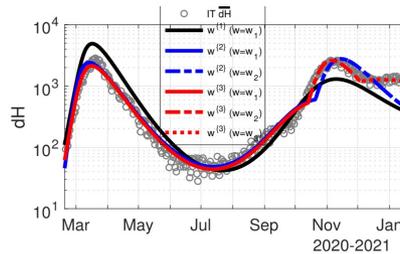
(a) Germany



(b) France



(c) UK



(d) Italy

A. SIHM Model

We consider a SIHM model for characterizing COVID-19 dynamics, where S represents the susceptible individuals, I the infectious, H the cumulative hospital admissions and M the time-weighted average number of hospital admissions (i.e., a memory variable), which feeds back onto the transmission rate of the disease, β_f . The model is described by the equations

$$\dot{S} = -\beta_f SI/N, \quad (1)$$

$$\dot{I} = \beta_f SI/N - (\eta + \alpha)I \quad (2)$$

$$\dot{H} = \eta I \quad (3)$$

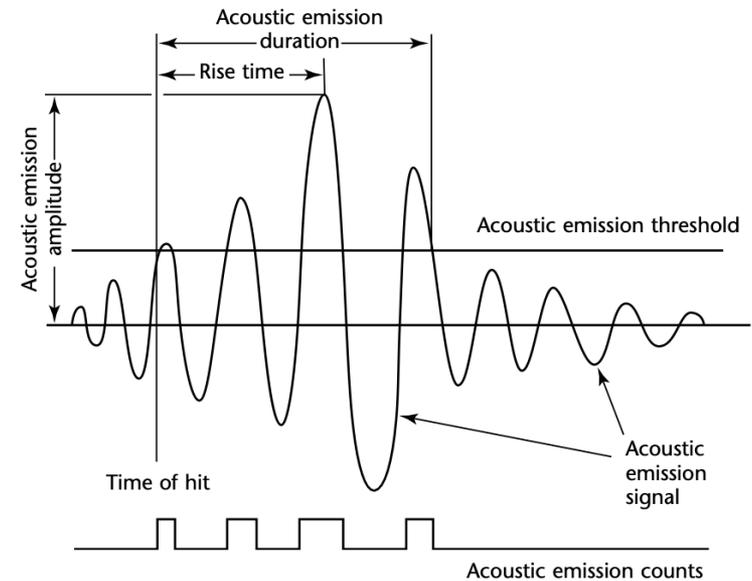
$$\dot{M} = (\eta I - M)/\tau \quad (4)$$

with

$$\beta_f = u(1+w)(1-\Delta u), \text{ with } u = \frac{\beta}{1 + \left(\frac{M}{K_p}\right)^{n_h}}. \quad (5)$$

Interacting With COVID-19: How Population Behavior, Feedback and Memory Shaped Recurrent Waves of the Epidemic

Francesco Montefusco¹, Anna Procopio¹, Iulia M. Bulai¹, Francesco Amato¹, Morten G. Pedersen², and Carlo Cosentino¹



Pattern recognition and signal classification